| Subject | Year | Month |  |
| :---: | :---: | :---: | :---: |
| Mathematics | 10 | February | Balcarras |
| Topic: |  |  |  |
| Straight line graphs |  |  | 6 lessons |
| Content (Intent) |  |  |  |
| Prior Learning <br> Year 9 Straight line graphs March | Future Learning <br> Year 10 Real life straight line graphs February <br> Year 10 Quadratic graphs March <br> Year 10 Simultaneous equations May <br> Year 11 Graph sketching October <br> Year 12 <br> Pure Chapter 5 Straight line graphs |  |  |

## Objectives

- Plot and draw graphs of $y=a, x=a, y=x$ and $y=-x$
- Identify and interpret the gradient of a line segment;
- Recognise that equations of the form $y=m x+c$ correspond to straight-line graphs in the coordinate plane;
- Identify \& interpret the gradient and $y$-intercept of a linear graph given by equations of the form $y=m x+c$;
- Find the equation of a straight line from a graph in the form $y=m x+c$;
- Plot and draw graphs of straight lines of the form $y=m x+c$ with and a table of values;
- Sketch a graph of a linear function, using the gradient and $y$-intercept (i.e. without a table of values):
- Find the equation of the line through one point with a given gradient;
- Identify and interpret gradient from an equation $a x+b y=c$;
- Find the equation of a straight line from a graph in the form $a x+b y=c$;
- Plot and draw graphs of straight lines in the form $a x+b y=c$;
- Interpret and analyse information presented in a range of linear graphs:
- use gradients to interpret how one variable changes in relation to another;
- find approximate solutions to a linear equation from a graph;
- identify direct proportion from a graph;
- find the equation of a line of best fit (scatter graphs) to model the relationship between quantities;
- Explore the gradients of parallel lines and lines perpendicular to each other;
- Interpret and analyse a straight-line graph and generate equations of lines parallel and perpendicular to the given line using the fact that when $y=m x+c$ is the equation of a straight line, then the gradient of a line parallel to it will have a gradient of $m$ and a line perpendicular to this line will have a gradient of $-\frac{1}{m}$.
- Higher groups may wish to use $y-y_{1}=m\left(x-x_{1}\right)$

| Pedagogical notes (implementation) |  | How will understanding be assessed \& recorded (Impact) |  |
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| Encourage students to sketch what information they are given in a question - emphasise that it is a sketch. |  | End of half term Assessment in Feb End of Year Mocks in April |  |
|  |  | How can parents help at home? |  |
|  |  | MathsWatch clips (Qualification KS4) |  |
| Further reading/discussion |  |  |  |
| Reading / Enrichment <br> http://passyworldofmathematics.com/mountain-gradients/ | Literacy | Numeracy Links | Careers Links <br> Medicine - identify links <br> Economist |


|  |  | Meteorologists <br> Actuaries graph risks |
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